

Machine Learning

Exploratory Analysis

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Exploratory Analysis

- A matrix where rows are records and columns are features.
- The matrix usually contains many data types together.
- Combination of strings, numeric, categorical and other data.
- Analysis of such complex dataset is hard.
- Each feature has its own properties.

Numeric values

- Numeric values may be integer, real or complex number.
- Integer values belong to a specific range, e.g. byte, short, int, long, etc.
- Real number are usually float, double or decimal.
- Complex numbers are rare case.
- Integer values are processed as real or as categorical type.

Real numbers

- Real number columns has basic limits minimum and maximum.
- Other important terms are mean, median, and quartile.
- Distribution of real values is the most important feature.
- Distribution depicts which values are present a how frequently.
- The overview of the feature may be taken from the histogram or a Box plot.

Categorical data

- Categorical data represents a set of possibilities a feature may take.
- The data may be numeric or textual.
- Very frequent data type unusually together with numeric.
- The overview of the feature may be taken from the (discreet) histogram.
- Very frequent as a class/label for a data.

Categorical data

- Processing is done using one of the following process:
 - binarization,
 - ordinal encoding (problem with sorting and distance),
 - one-hot encoding (dummy encoding),
 - embedding,
 - algorithmic encoding (cyclic feature).

Textual data

- Textual data are in the form of a single word or an open text.
- Single word and short text may represent a categorical value (e.g. METAR).
- Open text columns are hard to process.
- Usually processed separately as a text data:
 - normalized, tokenized, encoded (embedding), ...

Explorative Analysis

• What do you imagine?

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- What is the shape of the data?

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- What is the shape of the data?
- What is the distribution of the data?
- What is the distribution among the features?
- Is there any relation between features?

Exploratory Data Analysis refers to the critical process of performing initial investigations on data so as to **discover patterns**, to spot **anomalies**, to **test hypothesis** and to **check assumptions** with the help of **summary statistics** and **graphical representations**.¹

¹https://towardsdatascience.com/exploratory-data-analysis-8fc1cb20fd15

- Dataset investigations
 - How many features it has?
 - How many records it has?
 - What is the content of the features?
 - What type of the features it has Categorial, Numeric, Text?

- How many distinct features it has?
- Is it a class label or regular feature?
- What is the distribution of the values?

Feature types - Numeric features

- What is the minimum and maximum?
- What are the quartiles?
- What is the distribution/histogram of the data?
- What are the properties of the data distribution?

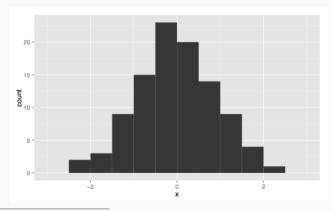
• Mean
$$\overline{x} = \frac{\sum_{i=1}^{n} x_i}{n}$$

• Median - a middle value of sorted values.

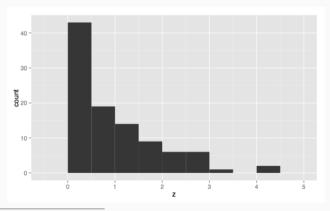
• Variance
$$s^2 = \frac{\sum_{i=1}^{n} (x_i - \bar{x})^2}{n-1}$$

- + Std. deviation $\sigma = \sqrt{\mathrm{s}^2}$
- Inter-quartile range $IQR = Q_3 Q_1$

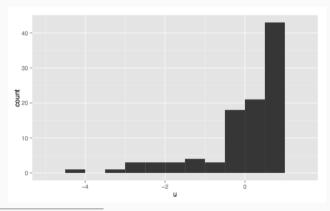
• Histograms²



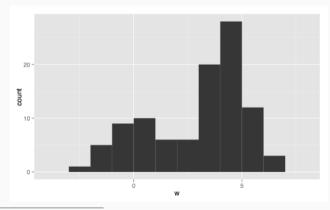
• Histograms²



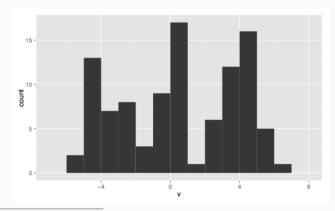
• Histograms²



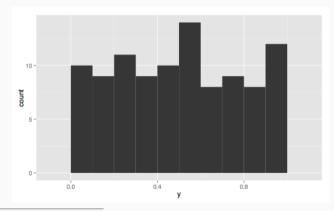
• Histograms²



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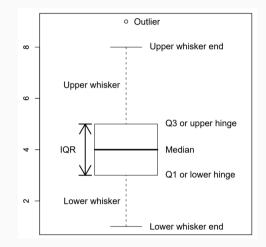
• Histograms²



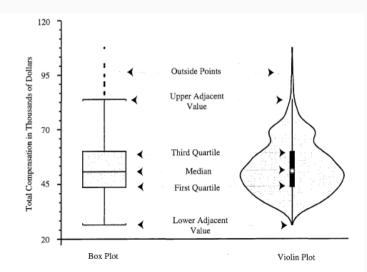
- Histograms
- Ideal for categorial data
- Numeric values requires another parameter Bin size

Box plot (Box and Whiskers plot)

- Minimum : the lowest data point excluding any outliers.
- Maximum : the largest data point excluding any outliers.
- Median : the middle value of the dataset.
- First quartile : the median of the lower half of the dataset.
- Third quartile : the median of the upper half of the dataset.



• Violin plot³



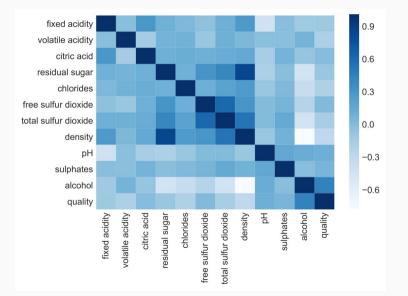
- There are many ways how to identify the relationships between features.
- **Covariance** how much (and in what direction) should we expect one variable to change when the other changes.

$$Cov(X,Y) = \frac{\sum_{i=1}^{n} (x_i - \overline{x})(y_i - \overline{y})}{n-1}$$

• Correlation - similarly to covariance, the power and direction of the relation.

$$Cor(X,Y) = \frac{Cov(X,Y)}{\sigma_X \sigma_y}$$

Relationship between features - Correlation Heatmap

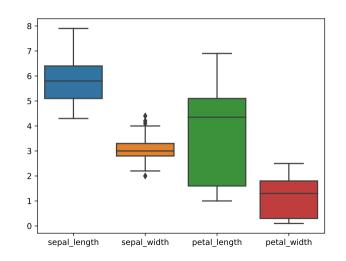


Relationship between features - Correlation Heatmap

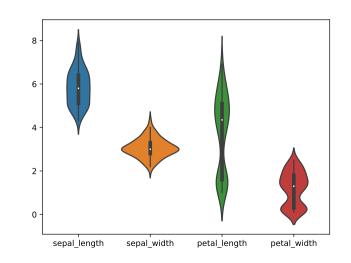


18

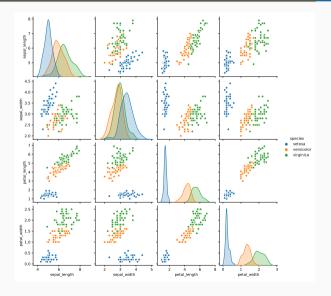
Relationship between features - Box plot



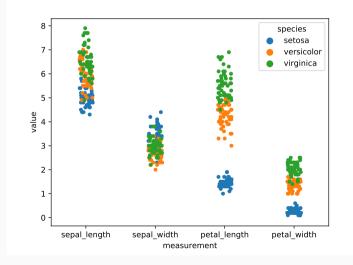
Relationship between features - Violin plot



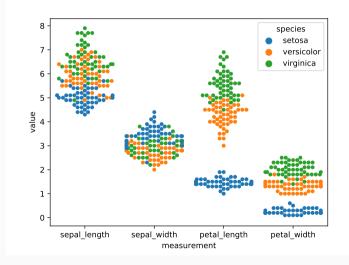
Relationship between features - Pair plot



Relationship between features - Strip plot



Relationship between features - Swarm plot



Feature scaling

- Feature scaling is a method used to normalize the range of independent variables or features of data.
- The process is known also as *data normalization*.
- The scaling is necessary to compare features between each other and use a metric to compute non-biased distance.
- The scaling have to respect the nature of the data.

Min-Max Scaling

- The most common scaling principle.
- Unifies the *min* and *max* among the features.
- Normalize into range [0,1]

$$x' = \frac{x - \min(x)}{\max(x) - \min(x)}$$

• Normalize into range [a, b]

$$x' = a + \frac{(x - \min(x))(b - a)}{\max(x) - \min(x)}$$

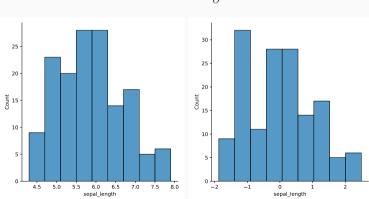
• Maximum Absolute Scaling where we normalize to $|\max(x)|$

- \cdot Moves the mean of the data into 0.
- The final range is [-1, +1].

$$x' = \frac{x - \overline{x}}{\max(x) - \min(x)}$$

Standardizing

• Normalize the values to zero mean and unit variance.



 $x' = \frac{x - \overline{x}}{\sigma}$

- Remapping features distribution into form close to Normal distribution
- Box-Cox transform or Yeo-Johnson transform

$$x^{(\lambda)} = \begin{cases} \frac{x_i^{\lambda} - 1}{\lambda} & \text{if } \lambda \neq 0\\ \ln(x_i) & \text{if } \lambda = 0 \end{cases}$$

Questions?